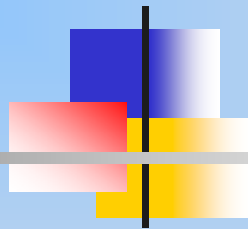
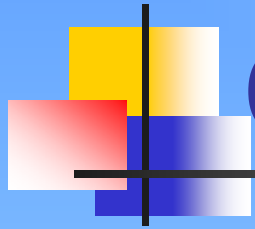


# CSE302: Compiler Design



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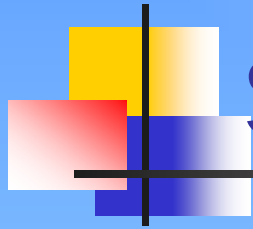
February 06, 2007



# Outline

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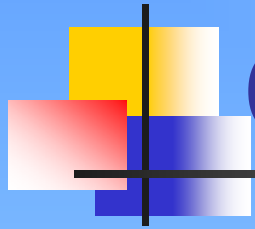
- Recap
  - Symbol tables (Section 2.7)
- Lexical analysis (Chapter 3)
- Summary and homework



# Symbol Tables

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- Hold info of source program constructs
  - Collected during analysis
  - Used for synthesis
- Support multiple declarations of the same identifier within a program
  - A separate symbol table for each scope
    - A program block
    - A class



# Outline

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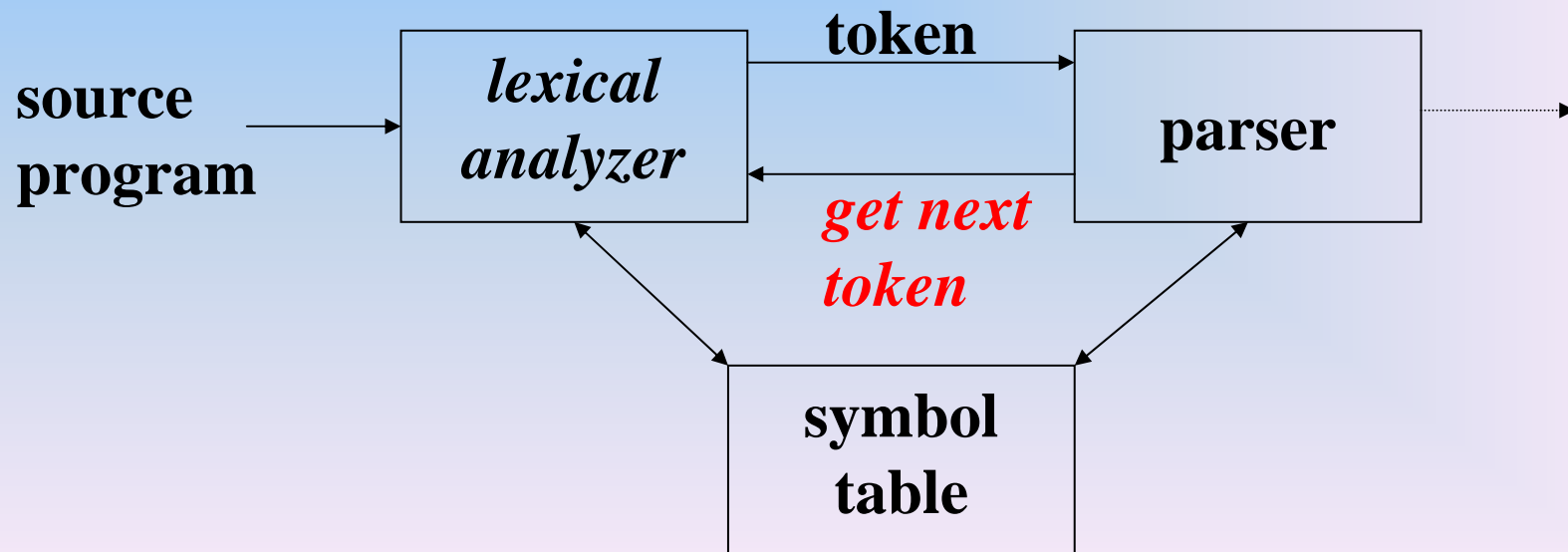
- Recap
- Lexical analysis in a nutshell
  - Overview
  - Regular expressions
  - Finite automata
  - Implementation of a scanner
- Summary and homework

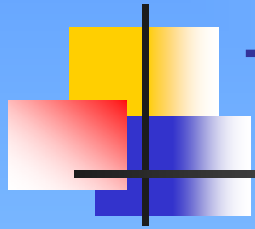


# Overview

- Pattern matching between
  - Input: characters in a source file
  - Output: tokens

based on theories of regular expressions and finite automata





# Tokens and Lexemes

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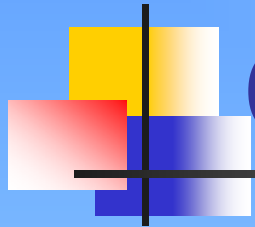
- A **lexeme** is the lowest level syntactic unit of a language described by a lexical specification
- A **token** is a category/abstraction of lexemes



# Tokens

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- Defined as an enumerated type
  - in C:  
typedef enum  
    {IF, THEN, ELSE, EQ, GE, LE, NE, NUM, ID, ...}  
TokenType;
  - in Java:  
Appendix A: Tag.java
- Fall into several categories
  - Reserved words
    - The lexeme or string value of the token IF is **if**
  - Special symbols
    - The lexeme or string value of the token EQ is ==
  - Identifiers
    - Represent multiple lexemes
  - Literals or constants

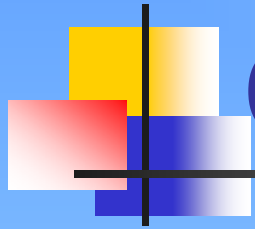


# Overview

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- The scanner is operated under the control of the parser
  - In Parser.java: `move() {look=lex.scan();}`
  - In Lexer.java: `public Token scan() {...}`





# Outline

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- Recap
- **Lexical analysis in a nutshell**
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# Regular Expressions

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- Represent patterns of strings of characters
- The set of strings generated by a regular expression  $r$  is as  $L(r)$



# Basic Regular Expressions

- Single characters from the alphabet
  - The set of legal symbols  $\Sigma$
  - $L(\mathbf{a}) = \{\mathbf{a}\}$
  - $L(\epsilon) = \{\epsilon\}$
  - $L(\emptyset) = \{\}$
- Regular expression operations
  - Choice among alternatives:  $L(\mathbf{r|s}) = L(\mathbf{r}) \cup L(\mathbf{s})$
  - Concatenation:  $L(\mathbf{rs}) = L(\mathbf{r})L(\mathbf{s})$
  - Repetition (zero or more times):  $L(\mathbf{r}^*) = L(\mathbf{r})^*$
  - A regular expression for a sequence of one or more numeric digits
    - $(0|1|\dots|9)(0|1|\dots|9)^*$
    - $\mathit{digit} \mathit{digit}^*$  where  $\mathit{digit} = 0|1|\dots|9$



# Extensions to Regular Expressions

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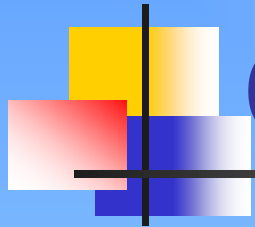
- One or more repetitions
  - $r^+$ :  $digit^+$  where  $digit = 0|1|\dots|9$
- A range of characters in the alphabet
  - $a|b|c$ :  $[abc]$
  - $a|b|\dots|z$ :  $[a-z]$
  - $0|1|\dots|9$ :  $[0-9]$
- Any character in the alphabet, any character not in a given set ...



# Regular Expressions for Identifiers

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- An identifier starts with a letter, followed by one or more letters or one or more digits



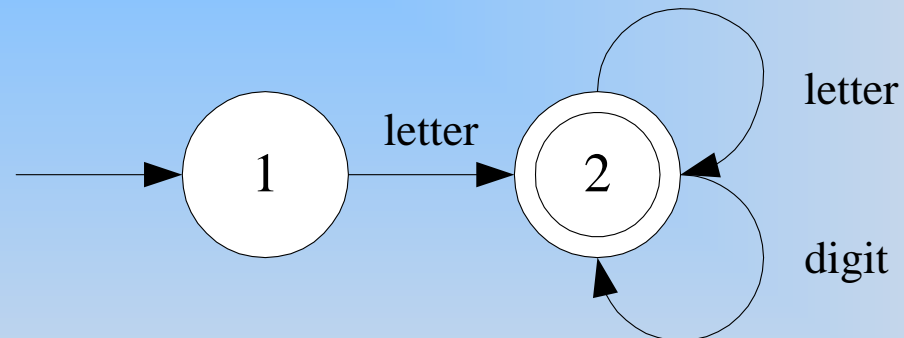
# Outline

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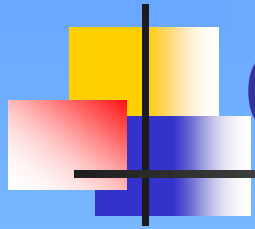
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# A Finite Automaton for Identifiers

- There is an algorithm that constructs a finite automaton below for the regular expression of identifiers, e.g. Thompson's construction



- States in the pattern recognition process
  - State 1: start state
  - State 2: the state after a single letter has been matched
    - **Accepting states** drawn in double-line border



# Outline

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# Implementation of Finite Automata and Demo

- A transition table based approach
  - $s = 1;$   
while(  $s \neq \text{acceptState}$  and  $s \neq \text{errorState}$ ) {  
     $c = \text{next input character};$   
     $s = T[s, c];$   
}

	Characters in the alphabet $c$
States $s$	States representing transitions $T(s, c)$



# Outline

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- Recap
- Lexical analysis (Chapter 3)
- **Summary and homework**